

## CLAIMS

- 1 1. A method of determining a route for transmitting a signal through a network, the method  
2 comprising:  
3 obtaining network data, including link type data, spare capacity data, vendor data, and  
4 common mileage data;  
5 obtaining demand data, including origination node data, termination node data, and  
6 diversity requirement data;  
7 storing the network data and the demand data;  
8 processing the demand data using a shortest path routing method to obtain an initial  
9 route;  
10 updating the network data by decreasing the spare capacity data in accordance with the  
11 initial route;  
12 computing an initial cost based on the initial route;  
13 updating the network data by increasing the spare capacity data in accordance with  
14 deleting the initial route;  
15 re-processing the demand data using a constrained diverse shortest path routing method  
16 until a stop criterion is satisfied and obtaining a final route;  
17 computing a final cost based on the final route; and  
18 outputting the final route and the final cost.
- 1 2. The method of claim 1, wherein the constrained diverse shortest path routing method  
2 minimizes use of optical transponders in obtaining the final route.

- 1 3. The method of claim 2, wherein the constrained diverse shortest path routing method  
2 minimizes use of optical transponders according to

3 
$$\sum_{k \in K} n_k / \max_k \leq 1$$

- 4 where  $n_k$  denotes a cumulative total count of optical transponders along a path  $k \in K$ ,  $K$  denotes  
5 a set of possible vendor/release combinations and  $\max_k$  is a predetermined parameter specified  
6 for each  $k \in K$ .

4. The method of claim 1, wherein the initial cost and the total cost are based on one or  
more of a diversity cost, a capacity overload cost and a routing cost.

5. The method of claim 4, wherein the initial cost and the final cost are computed as

*Total\_Cost(R)* as follows:

$$Total\_Cost(R) = Div\_Cost(R) + Overload\_Cost(R) + Routing\_Cost(R).$$

6. The method of claim 5, where *Div\_Cost(R)* is as follows:

$$Div\_Cost(R) = \alpha_{div\_count} \times Div\_Count(R) + \alpha_{div\_miles} \times Div\_Mileage(R),$$

- where *Div\_Count(R)* represents a total number of diversity violations, *Div\_Mileage(R)*  
represents a total violation mileage, and  $\alpha_{div\_count}$  and  $\alpha_{div\_miles}$  are predetermined parameters that  
weigh *Div\_Count(R)* and *Div\_Mileage(R)* respectively.

1 7. The method of claim 6, wherein  $Div\_Count(R)$  and  $Div\_Mileage(R)$  are as follows:

2  $Div\_Count(R) = \frac{1}{2} \sum_{T_i \in T} \sum_{T_j \in D_i} 1_{\{Common\_miles(R_i, R_j) > max\_allowed\}}$  and

3  $Div\_Mileage(R) = \frac{1}{2} \sum_{T_i \in T} \sum_{T_j \in D_i} Common\_miles(R_i, R_j),$

4 where  $Common\_miles(R_i, R_j)$  measures common fiber span mileage of routes  $R_i$  and  $R_j$  and  
5  $max\_allowed$  is a predetermined parameter that allows flexibility to ignore short fiber span  
6 diversity violations.

1 8. The method of claim 5, wherein  $Overload\_Cost$  is as follows:

2  $Overload\_Cost(R) = \alpha_{overload} \times \sum_{e \in E} \sum_{p \in P} \beta_e \max\{0, load(e, p) - cap(e, p)\},$

3 wherein

4  $\alpha_{overload}$  is a predetermined parameter denoting relative importance of capacity violation,

5  $\beta_e$  is a predetermined parameter denoting relative importance of a link  $e \in E$ ,

6  $load(e, p)$  denotes a total load on the link  $e$  in a period  $p \in P$ , and

7  $cap(e, p)$  denotes a total spare capacity of the link  $e$  in the period  $p$ .

1 9. The method of claim 5, wherein  $Routing\_Cost$  is as follows:

2  $Routing\_Cost(R) = \alpha_{route} \times \sum_{R_i \in R} \sum_{e \in R_i} Link\_Cost(e)$

3 where  $\alpha_{route}$  is a predetermined parameter denoting relative importance of  $Routing\_Cost$  in

4  $Total\_Cost$  and  $Link\_Cost$  is a constant plus link mileage.

1 10. The method of claim 9, wherein *Link\_Cost* is as follows:

$$2 \quad \text{Link\_Cost}(e) = \begin{cases} 1 + \alpha_{\text{route\_miles}} \times \text{Mileage}(e) & : \text{if } e \text{ is a simple link} \\ \alpha_{\text{proj}}(\text{No\_of\_DWDMU\_CrossSections} + \alpha_{\text{route\_miles}} \times \text{Mileage}(e)) & : \text{if } e \text{ is a composite link} \end{cases}$$

3 where  $\alpha_{\text{route\_miles}}$  is a predetermined parameter denoting relative importance of mileage,  
4 *Mileage*(*e*) is mileage of a link *e*,  $\alpha_{\text{proj}}$  is a predetermined parameter denoting a discount value for  
5 using an existing project link and *No\_of\_DWDMU\_CrossSections* is a number of dense  
6 wavelength division multiplexing unit cross sections.

11. The method of claim 1 wherein the demand data includes project integrity data.

12. A method of determining routes for transmitting signals through a network, the method  
comprising:

obtaining a plurality of demands *T*, each demand *T<sub>i</sub>* having diversity requirements *D<sub>i</sub>*;

processing each demand *T<sub>i</sub>* consecutively using a shortest path routing method to obtain a

corresponding initial route *R<sub>i</sub>* which satisfy the diversity requirements *D<sub>i</sub>* if network parameters  
permit;

updating the network parameters based upon the initial routes *R*;

computing an initial cost solution based on the initial routes *R*;

re-processing each demand *T<sub>i</sub>* using a constrained diverse shortest path method to obtain

a corresponding final route *R<sub>i</sub>* ' until a stop criterion is satisfied;

computing a final cost solution based on the final routes *R* ' ; and

12            outputting the final routes  $R'$  and the final cost solution.

1    13. The method of claim 12, wherein the constrained diverse shortest path method includes:

2            assigning a cost  $c_e$  to each of a plurality of links in the network;

3            determining a shortest route  $R_i'$  from an origination node  $A_i$  to a termination node  $Z_i$

4            based on link costs  $c_e$ ;

5            determining if route  $R_i'$  satisfies an optical transponder constraint; and

6            determining if route  $R_i'$  satisfies the diversity requirements.

1    14. The method of claim 12, wherein the constrained diverse shortest path method includes:

2            creating an initial partial path  $pn$  having parameters  $node(pn)$ ,  $cost(pn)$ ,  $violation\_set(pn)$

3            and  $parent(pn)$  wherein

4                     $node(pn)$  is set equal to  $A_i$ ,

5                     $cost(pn)$  is set equal to zero,

6                     $violation\_set(pn)$  is set equal to null, and

7                     $parent(pn)$  is set equal to null;

8            storing initial partial path  $pn$  in memory;

9            initializing a value  $Heap$  that indicates whether there is an established pathway to  $Z_i$ ; and

10           determining whether the established pathway is compliant with an optical transponder

11           constraint, if  $Heap$  is equal to null.

1 15. The method of claim 12, wherein the constrained diverse shortest path method includes:

2 creating a partial path  $pn$  having parameters  $node(pn)$ ,  $cost(pn)$ ,  $violation\_set(pn)$  and  
3  $parent(pn)$  wherein

4  $node(pn)$  is set equal to a termination node of a previous partial path  $pre-pn$ ,

5  $cost(pn)$  is equal to a current total cost of the partial path  $pn$ ,

6  $violation\_set(pn)$  is a collection of violated diversity requirements of the partial

7 path  $pn$  and

8  $parent(pn)$  is the previous partial path  $pre-pn$ .

1 16. The method of claim 12, wherein the constrained diverse shortest path method includes:

2 selecting a partial path  $pn_i$ , having parameters  $node(pn_i)$ ,  $cost(pn_i)$ ,  $violation\_set(pn_i)$  and  
3  $parent(pn_i)$  from one or more partial paths, where  $cost(pn_i)$  is minimal in comparison to costs

4 associated with other partial paths, when a *Heap* value is not equal to null; and

5 equating partial path  $pn_i$  with a route  $A_i-Z_i$  if  $node(pn_i)$  is equal to  $Z_i$ .

1 17. The method of claim 12, wherein the constrained diverse shortest path method includes:

2 selecting a partial path  $pn_i$ , having parameters  $node(pn_i)$ ,  $cost(pn_i)$ ,  $violation\_set(pn_i)$  and  
3  $parent(pn_i)$  from one or more partial paths, where  $cost(pn_i)$  is minimal in comparison to costs

4 associated with other partial paths, when a *Heap* value is not equal to null;

5 if  $node(pn_i)$  is not equal to a termination node  $Z_i$ , identifying a link adjacent to  $node(pn_i)$ ;

6 creating a new partial path  $pn_i'$  from  $node(pn_i)$  to the identified link;

7 determining if the new partial path  $pn_i'$  satisfies an optical transponder constraint; and

8 updating the *Heap* value with the new partial path  $pn_i$  ' if the new partial path  $pn_i$  ' does  
9 satisfy the optical transponder constraint.

1 18. The method of claim 17 further comprising:

2 discarding the new partial path  $pn_i$  ' if the new partial path  $pn_i$  ' does not satisfy the optical  
3 transponder constraint.

4 19. The method of claim 17, wherein the determining step includes determining whether the  
5 cumulative jitter noise along the new partial path  $pn_i$  ' from an origination node  $A_i$  to  $node(pn_i)$   
6 plus cumulative jitter noise from  $node(pn_i)$  to the termination node  $Z_i$  is below a predetermined  
7 threshold.

8 20. A method of determining routes for transmitting signals through a network, the method  
9 comprising:

1 obtaining a plurality of demands  $T$ , each demand  $T_i$  having diversity requirements  $D_i$ ;

2 processing each demand  $T_i$  consecutively using a shortest path routing method to obtain a  
3 corresponding initial route  $R_i$  considering the diversity requirements  $D_i$ ; and

4 re-processing demands  $T$  using a constrained diverse shortest path method to obtain

5 corresponding final routes  $R'$  until a stop criterion is satisfied.